

Quiz-5 on Chapters 8 and 9 (June 11, 2001)

Problem 5-1 Based upon the "Continuous Gaussian Plume Model," for the elevated release," the atmospheric dispersion factor is given by:

$$\frac{\bar{\chi}}{Q}(x, y, z) = \frac{1}{2\pi\sigma_y\sigma_z u} \exp\left(-\frac{y^2}{\sigma_y^2}\right) \left\{ \exp\left[-\frac{1}{2}\left(\frac{z-h}{\sigma_z}\right)^2\right] + \exp\left[-\frac{1}{2}\left(\frac{z+h}{\sigma_z}\right)^2\right] \right\}$$

- 1) Assuming the ground level release of gaseous effluent, derive the atmospheric dispersion factor at a location (x,y,z) in the air away from the release point located at the origin.

Solution:

$$\frac{\bar{\chi}}{Q}(x, y, z) = \frac{1}{\pi\sigma_y\sigma_z u} \exp\left[-\frac{1}{2}\left(\frac{y^2}{\sigma_y^2} + \frac{z^2}{\sigma_z^2}\right)\right]$$

- 2) Find the maximum (or centerline) chi-over-cue on the ground at x-meter away from the release point.

Solution:

$$\frac{\bar{\chi}}{Q}(x) = \frac{1}{\pi\sigma_y(x)\sigma_z(x)u}$$

- 3) Assuming the average wind speed of 2m/sec, compute the maximum chi-over-cue at the EAB (Exclusion Area Boundary) distance of 700 meters from a nuclear power plant. The horizontal and vertical standard deviations, $\sigma_y(x)$, $\sigma_z(x)$ at x=700 meters are 25 m, and 10 m, respectively.

Solution:

$$\frac{\bar{\chi}}{Q}(x) = \frac{1}{\pi\sigma_y(x)\sigma_z(x)u} = \frac{1}{\pi \times 25 \times 10 \times (2m/sec)} = 6.37 \times 10^{-4} \text{ sec}/m^3$$

Problem 5-2 In a 3,400 MWt PWR, the equilibrium activity of I-133 in the core is 2 million curies during normal operation. Following a postulated design basis accident (maximum credible accident in this case) for site evaluation, we assume that 25% of I-133 activities release into the containment atmosphere immediately following the accident, and then subsequently release to the environment via containment leakage with the leak rate of 0.1%/day. The half-life of I-133 is 20 hours.

- 1) Compute the integrated I-133 release into the environment for the first 2 hours following the accident.

Solution:

$$A_{I-133} = A_0 e^{-\lambda_{I-133}t}$$

$$A_0 = 0.25 \times (2 \times 10^6) = 0.5 \times 10^6 \text{ Ci}$$

leakage rate $R=0.1\%/day$

$$\int_0^{2hr} R \times A_0 \times e^{-\lambda_{I-133}t} dt = \frac{RA_0}{\lambda_{I-133}} [1 - e^{-\lambda_{I-133} \times 2hr}] = 40.26Ci$$

2) If the average release rate of I-133 via the containment leakage is 20 Ci/hour, assuming the atmospheric dispersion factor of $3.5 \times 10^{-4} \text{ sec/m}^3$ at EAB, compute the average I-133 concentration in the air at EAB.

Solution:

$$\frac{\bar{X}}{Q} = 3.5 \times 10^{-4} \text{ sec/m}^3$$

$$Q = 20Ci/hr$$

$$(20Ci/hr)(3.5 \times 10^{-4} \text{ sec/m}^3)(1hr/3600 \text{ sec}) = 1.94 \times 10^{-6} Ci/m^3$$

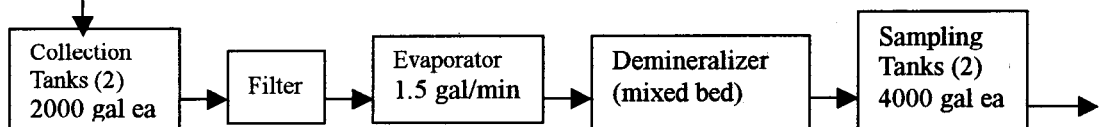
Problem 5-3 Let's assume the average I-133 concentration in the air at EAB is estimated to be $2 \times 10^{-3} \text{ Ci/m}^3$. The breathing rate of a human is $3.5 \times 10^{-4} \text{ m}^3/\text{second}$, and the dose conversion factor of I-133 to thyroid through inhalation is $2.69 \times 10^{-4} \text{ mrem per pCi inhaled}$. If the critical organ for iodine is thyroid, compute the thyroid dose commitment for a person exposed by this contaminated air at EAB for 2 hours immediately following the postulated accident.

Solution:

$$(2 \times 10^{-3} \text{ Ci/m}^3)(3.5 \times 10^{-4} \text{ m}^3/s)(2.69 \times 10^{-4} \text{ mrem/pCi})(2hr)(3600s/hr) = 1355760 \text{ mrem}$$

Problem 5-4 A process system of clean waste is given as follows:

Input (150 gal/day)



1) Find the system DF for I-133.: 데이터가 부족하여 답을 구할 수 없으므로 모두 맞다고 하겠습니다.

2) Find the credit for decay time of this liquid waste processing system.

Solution:

$$T_c = \frac{0.8 \times 2000}{150 \text{ gal/day}} = 10.67$$

$$T_p = \frac{0.8 \times 2000}{(1.5 \text{ gal/min}) \times (60 \times 24 \text{ min/day})} = 0.74$$

$$T_d = \frac{0.8 \times 4000}{(1 \text{ gal/min}) \times (60 \times 24 \text{ min/day})} = 2.22$$

Check for decay credit $\frac{0.8V_s}{F_p + F_o} = \frac{0.8 \times 4000}{1.5 \times 60 \times 24 + 0} = 1.48 \text{day} > T_p$

$\therefore T_p + 0.5T_d = 0.74 + 0.5 \times 2.22 = 1.85 \text{days}$